## MY NAME IS

## UTIONS

2. The vertical line test says that a graph is a graph of a function if every vertical line passes through the graph AT MOST ONCE

For exercises 3 through 6 answer either "True" or "False" and explain how you arrived at your conclusion.

3. The graph of a function can never have more than one y-intercept.

TRUE, OTHERWISE X=0 WOULD HAVE MORE THAN ONE

4. The graph of a function can never have more than one x-intercept.

FAISE, one y value can be associated to much ple

5. Every line is the graph of a function.

FALSE, VENTICAL LINES ARE NOT

6. Circles are never graphs of functions.

TRUE THEY VIOLATE THE VETTICAL line TEST

For exercises 7 - 10, a relation is given in the form of ordered pairs. Determine the domain, the range, state whether the relation is a function.

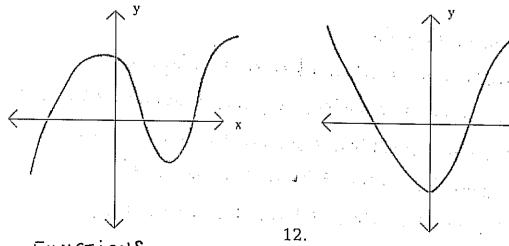
D: {1, 2, 3, 4, 7} R: {2, 3, 4, 5, 7} FUNCTION 7. (1,2), (2,3), (3,4), (4,5), (7,7)

8. (-1,4), (0,5), (1,4), (2,3) D: \[ \int\_{-1},0,1,2\right\} R: \[ \lambda\_3,4,5\right\} FUNCTION

9. (0,2), (1,6), (1,5), (9,12), (10,11) D: {0,1,9,10} R:{2,5,6,11,12} NOT A FUNC.

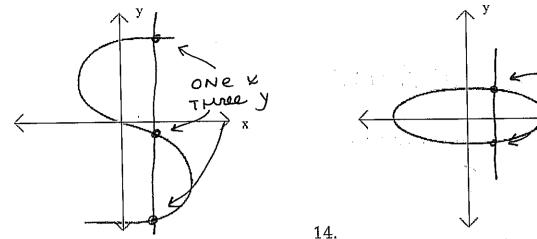
10. (-3,-1), (-1,-3), (0,5), (2,1) D: {-3,-1,0,2} R: {-3,-1,1,5

For exercises 11 through 14, graphs are given. Determine whether the graph is a function and explain your reasoning.



11. FUNCTIONS

corresponds to AT



13. NOT FUNCTIONS

X values OFTEN CORRESPOND TO MORE THAN ONE Y value

TWO Y

For exercises 15 - 18, determine the domain and range and state whether the relation described is a function.

15. Every person is assigned to his or her biological mother.

Pomain: Persons Range: Biological mothers (EVERY DERSON HAS ONLY ONE bid . MOTHER)

16. Every mother is assigned to her children.

MOT A FUNCTION MORE TO THE WORDS : Children DOMAIN: MOTHERS

17. Every word is assigned that are generated during a Google search. Than one child)

Pomain: words range: words generated NOT A FUNCTION (one word

18. Every Hotmail account user name is assigned to the corresponding password. Gold To NOT A FUNCTION LONE WORD

DOMAIN: ACCOUNT range: passwords ( SACH ACCOUNT FUNCTION

For exercises 19 - 28, let f(x) = 3x - 4 and  $g(x) = x^2 + x$  and h(x) = 3. Find the **LAS** password) indicated value.

19. 
$$f(2) = 3(2) - 4 = 2$$

20. 
$$g(-1) = (-1)^2 - 1 = \bigcirc$$

22. 
$$f(a-1) = 3(\alpha - 1)^{-4}$$
  
23.  $g(x+1) = (x+1)^{2} + (x+1) = x^{2} + 2x + \frac{1}{4} + x + 1 = x^{2} + 3x + 3$ 

23. 
$$g(x + 1) = (\gamma + 1)^{2} + (\gamma + 1)^{2} - \lambda (12)^{2} = 3(12) - 4 = 36 - 4 = 32$$
  
24.  $(f \circ g)(3) = f(g(3)) = f(3^{2} + 3) = f(12) = 3(12) - 4 = 36 - 4 = 32$ 

24. 
$$(f \circ g)(3) = f \circ g(4) = f(2) = f(2) = 3(20) - 4 = 56$$
  
25.  $(f \circ g)(4) = f(g(4)) = f(4^2 + 4) = f(20) = 3(20) - 4 = 56$ 

25. 
$$(f \circ g)(4) = f(g(x)) = f(1^2+1) = f(2) = 3(2) - 4 = 2$$
  
26.  $(f \circ g)(1) = f(g(x)) = f(1^2+1) = f(2) = 3(2) - 4 = 2$ 

27. 
$$(f \cdot g)(2) = f(g(2)) = f(2^2+2) = f(6) = 3(6) - 4 = 14$$

28. 
$$3f(x) - 2g(x) = 3(3x-4) - 2(x^2+x)$$

$$= 9x - 12 - 2x^{2} - 2x$$

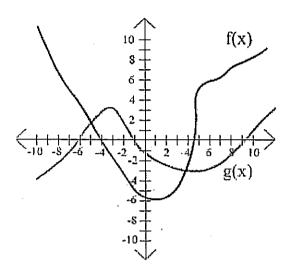
$$= \sqrt{-2}x^{2} + 3x - 12$$

29. 
$$g(x + 1) - g(x) = (x+1)^2 + (x+1) - (x^2 + x) = x^2 + 2x + 1 + x + 1 - x^2 - x = 2x + 2$$

30. 
$$(f \cdot h)(2) = f(h(2)) = f(3) = 3(3) - 4 = 9 - 4 = 5$$

31. 
$$(g \cdot h)(5) = g(h(5)) = g(3) = 3^2 + 3 = 12$$

For exercises 32 through 39, use the graphs shown below to approximate the indicated value.



33. 
$$g(-3) = 3$$

36. 
$$g(8) = -2$$

36. 
$$(f \cdot g)(0) = f(-1) = -5$$

37. 
$$(f \circ g)(-5) = f(2) = -6$$

38. 
$$(f \cdot g)(2) = f(-2) = (-4)$$

39. 
$$(f \circ g)(6) = \int (-3) = [-2]$$

Find the domain of the functions given in exercises 40 - 43.

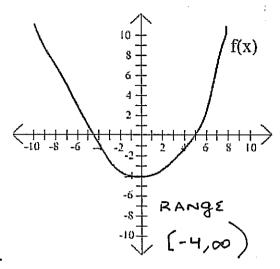
40. 
$$f(x) = 3x - 4$$

41. 
$$f(x) = x^2 + x - 2$$
 Domain: 1R

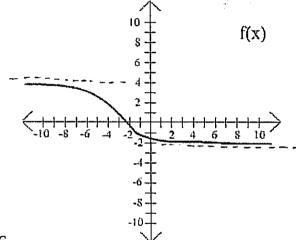
42. 
$$f(x) = \frac{x-2}{x+2} \quad \text{DomAin: } \mathbb{R} \setminus \{-2\}$$

$$f(x) = \frac{3x-4}{5x-1} \quad \text{DomAin} : \quad \mathbb{R} \setminus \left\{ \frac{1}{5} \right\}$$

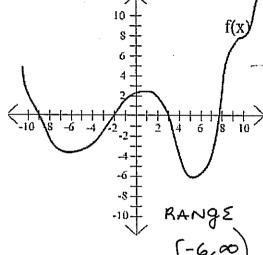
For exercises 44 - 47 use the given graphs to find the range of f(x).



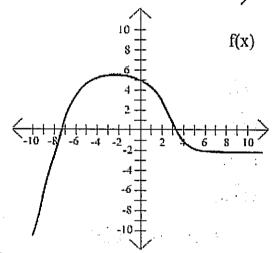
44.



46.



45.



47.